A dynamic approach for combining abstract argumentation semantics Second Chinese Conference on Logic and Argumentation, Hangzhou, 2018

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Introduction

- Motivations
- Abstract Argumentation & Semantics

2 Algorithmic approach

3 A semantic approach



- Increasing number of semantics: 16 different semantics described in the Handbook of Formal Argumentation.
- Diversity is good, but how to choose?
- Principle-based approaches help, but sometimes no semantics fits perfectly.

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We propose a formal framework for dynamically combining argumentation semantics.

Direct Semantics

From unlabelled to fully labelled frameworks in a single step.

Update semantics

We decompose this relation into a more fine-grained one, while respecting the principles of:

- Monotonic precision increase
- Reachable fixpoints are fully labelled

$$LAF_1 \longrightarrow LAF_2 \longrightarrow \cdots \longrightarrow LAF_f$$

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We say that an update semantics *gives rise to* a direct semantics iff the reachable fixpoints correspond exactly to the direct labellings.

Abstract Argumentation Framework

- A pair (A, R):
 - A: a set of *abstract* arguments;
 - $R \subseteq A \times A$: a relation of *attack* between arguments.



Labels

Assign a single label to each argument:

- in for accepted
- out for rejected
- undec for undecided



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Labelling-based abstract argumentation semantics

Attach a label to every argument

- Complete: admissible + contains all arguments it defends
- Grounded: Complete + minimal in
- Preferred: Complete + maximal in

The step_grounded semantics

Procedure:

- Look for unlabelled arguments with all attackers out, make them in and anything they attack out;
- Otherwise, label all remaining arguments undec.

The step_grounded semantics

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Theorem 1

step_grounded is an update semantics which gives rise to the grounded semantics.



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Minimal admissible sets

- Admissible;
- Non-empty;
- Unlabelled;
- Minimally so.

The step_preferred semantics

Procedure:

- Look for unlabelled arguments with all attackers out, make them in and anything they attack out;
- Else, look for minimal admissible sets of arguments, label those in and anything they attack out;
- Otherwise, label all remaining arguments undec.

Theorem 2

step_preferred is an update semantics which gives rise to the preferred semantics.

Example



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Theorem 3

 $step_grounded \cup step_preferred$ is an update semantics which gives rise to the complete semantics.









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Update semantics

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Precision ordering over the partially-labelled frameworks

- $(\langle A, R \rangle, Lab) \ge_{p} (\langle A', R' \rangle, Lab')$ iff:
 - $\langle A, R \rangle = \langle A', R' \rangle;$
 - $\forall a \in A$, if Lab(a') is defined, then Lab(a) = Lab(a').

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The most fine-grained update semantics

For a given direct semantics dir, we define mfg_{dir} as the transitive reduction of \geq_p restricted to the paths from initial frameworks to the corresponding final ones returned by dir.

Combination operation

Given u_1 and u_2 , we define $u_1 \uplus u_2$. We also allow for changes to be imported into a framework F from a similar framework F_2 , if the framework can be partitioned into $S, I, M \subseteq A$:

- *I* is already fully labelled;
- 2 there is no conflict between S and M;
- **3** F and F_2 agree on $S \cup I$;
- the update happens in S;
- the current label of $I \cup M$ is reachable by $u_1 \uplus u_2$.



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Example continued

*F*₂:



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Example continued

 F_2 :



Conclusions:

- Decomposed some direct semantics into fine-grained version.
- Combined preferred and grounded to get complete in two different ways. What does this mean for direct semantics?

Future work:

- Define update semantics based on algorithms, such as SCC-recursiveness.
- Examine the results of other combinations of update semantics.
- How fine-grained do you need to be in order to get interesting combinations of updates?
- A model closer to learning-oriented reasoning?

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Thank you!